

← تنبيه هام :-

- علغ من تغذر عليه حضر ال Quiz الأول أو التاني أو امتحان
ال Midterm في مادة ال Steel Structures الذهاب إلغ مكتب الدكتور

سعد الدين محطفا « علغ السلم الدور التاني بلوك 4 »

وذلك يوم الأحد الموافق 2016/5/15 من الساعة 10 صباحاً حتى

11 صباحاً ...

← ويعتبر هذا آخر موعد متاح لهم لاعادة الامتحان ... وذلك ليتمكنوا
من الحصول علغ درجات أعمال السنة ...

And ThanX :D

تالو سوانی

Geometric
Design

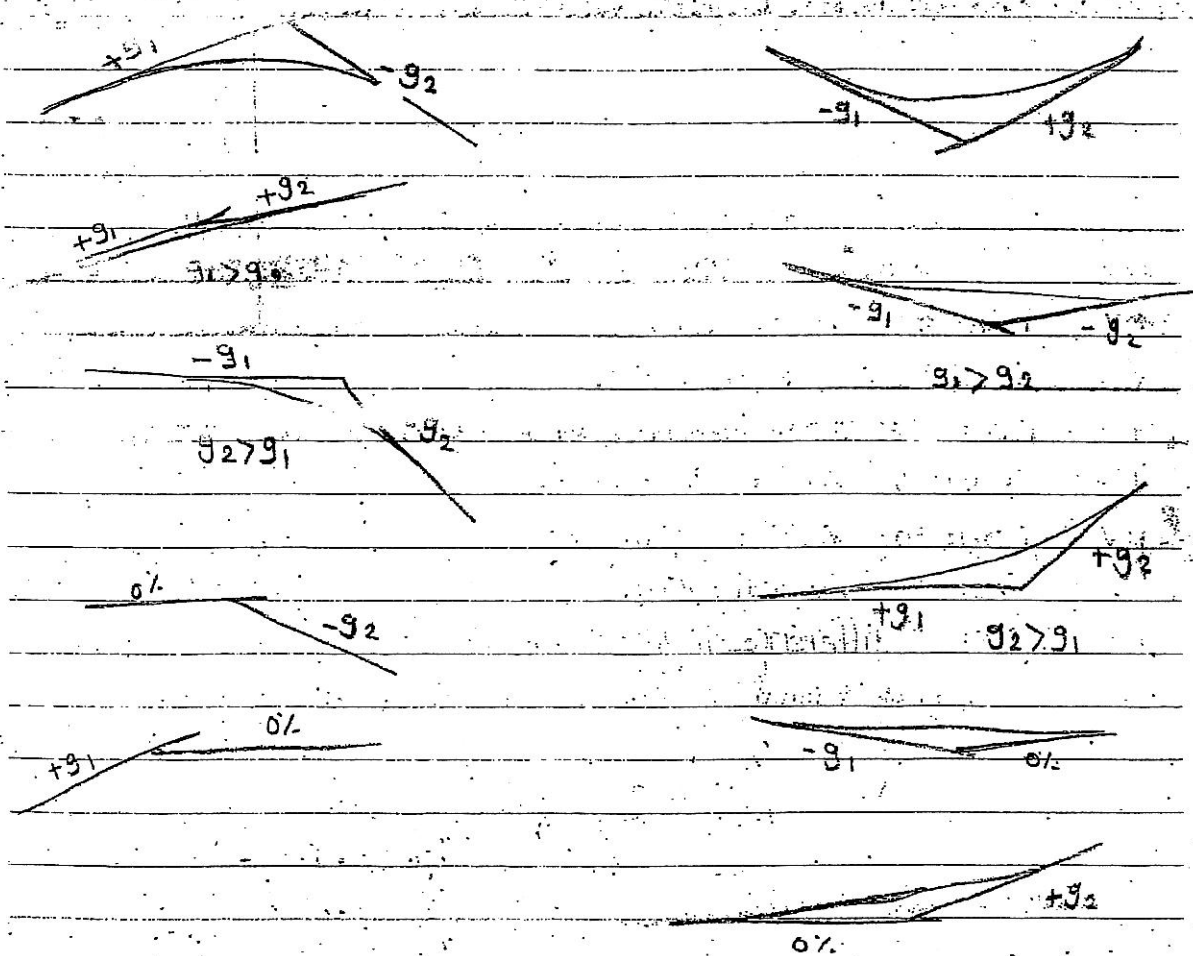
(3)

"Geometric design" ch 4 "Vertical alignment" نظم الرأسي

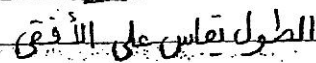
Types of Vertical Curves:

1) (Summit) Vertical Curve:

2) Sag (Valley) Vertical Curve:



11/1/52



- الفرق الحميري بين المبلين كشيده مؤويه

Y_{highest point} = 9.21

- $(g_1 - g_2)^2$ طول المنحنى مقاس على الأفق

~~High Point~~
~~Low Point~~

~~$$V_{\text{high}} = \frac{g^2 L}{2A} = \frac{g^2 L}{2A}$$~~

$y_m = 4e^{-(x/m)}$
at any point L^2

$$e = \frac{AL}{8}$$

~~Q. 1.4.3~~

$$\left. \begin{aligned} \rightarrow \text{St PVC} &= \text{St PT} - L/2 \\ \rightarrow \text{St PVT} &= \text{St PT} + L/2 \end{aligned} \right\} \begin{aligned} \text{elo (PVC)} &= \text{elo (PVI)} - g_1 \times \frac{L}{2} \\ \text{elo (PVT)} &= \text{elo (PVI)} + g_2 \times \frac{L}{2} \end{aligned}$$

Design of Crest Curve

x length of curve (L) :

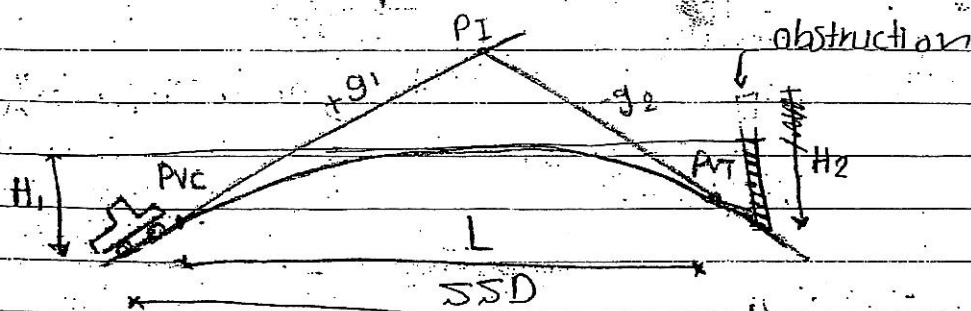
A) Stopping Sight distance (SSD) :

where $SSD > L$

$$L = 2(SSD) - 200(\sqrt{H_1} + \sqrt{H_2})^2$$

H_1 = eye height (ارتفاع عين السائق)

H_2 = obstruction height (ارتفاع العائق)



$$H_1 = 3.75 \text{ ft}$$

$$H_2 = 0.5 \text{ ft} \Rightarrow (2 \text{ ft})$$

$$H_1 = 1.15 \text{ m}$$

$$H_2 = 0.15 \text{ m}$$

$$L = 2(SSD) - 440 \text{ (m)}$$

For the memories of yesterday,
For the happiness of today...

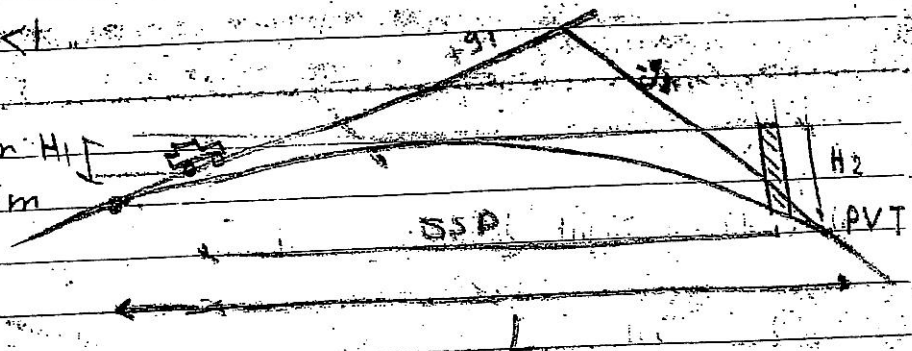
~~$L = \frac{2(SSD)}{A}$~~ ~~1329~~ ~~A~~ ~~ft~~

(ft) $\Rightarrow L = \frac{2(SSD)}{A} = \frac{2158}{A}$ ✓

Case (2): $SSD < L$

$H_1 = 3.75 \text{ ft} = 1.2 \text{ m}$

$H_2 = 0.5 \text{ ft} = 0.15 \text{ m}$



$L = \frac{A S^2}{200(\sqrt{H_1} + \sqrt{H_2})^2}$

~~$L = \frac{A S^2}{200(\sqrt{H_1} + \sqrt{H_2})^2}$~~ ~~(m)~~ ~~440~~ ~~(ft)~~ ~~1329~~

$L = \frac{A S^2}{2158}$ ✓

$3.75 \text{ ft} = 1.2 \text{ m}$
 $0.5 \text{ ft} = 0.15 \text{ m}$

$SSD = 1.47 Vt + \frac{V^2}{30(F - G)}$

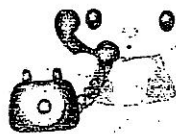
(ft) \Rightarrow or $\left(\frac{\text{من البوصة من خلال}}{V \text{ m/s}} \right)$

المسافة الأمامية المستقيمة

→ Passing sight distance:

$SP < L \Rightarrow L = \frac{A S P^2}{2800}$

$SP > L \Rightarrow L = 2SP \frac{2800}{A}$



Love is like a dying ember
only memories remain

(SSD < L) من البوصة من خلال

Example:

A Vertical Curve Connecting two grades, UP Ward grade 3% and down grade 4%. The Station and elevation of PVC are (142+30) and 58 ft. respectively. If the Curve Passes through Cent M that has Station of (144+10) and elevation of 59.6 ft. should Passing be allowed on this Curve if $V_0 = 60 \text{ mph}$?

Solution.

$$\rightarrow g_1 = 3\% \text{ \& } g_2 = -4\%$$

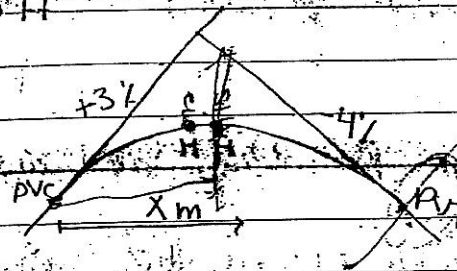
$$\rightarrow St(PVC) = (142+30) \text{ \& } ELEV(PVC) = 58 \text{ ft}$$

$$\rightarrow St(M) = (144+10) \text{ \& } ELEV(M) = 59.6 \text{ ft}$$

$$A = -(g_1) - (+g_2)$$

$$= A = 3 + 4 = 7\%$$

$$L = (144+10) - (142+30) = 180 \text{ ft}$$



$$ELEV M = ELEV PVC + g_1 X + \frac{AX^2}{200L}$$

$$59.6 = 58 + \frac{3}{100}(180) - \frac{7(180)^2}{200L}$$

$$L = 298.4 \text{ ft}$$

assume $S \geq L$:

$$L = 2.5 \frac{1329}{A}$$

$$298.4 = 2.5 \frac{1329}{7} \Rightarrow S = 244.1 \text{ ft} > L$$

assume $S < L$:

$$L = \frac{AS^2}{1329} \Rightarrow 298.4 = \frac{7S^2}{1329}$$

$$\Rightarrow S = 238 \text{ ft} < L$$

For the memories of yesterday,
For the happiness of today...

$$S = 238 \text{ ft}$$

$$SSD = 1.47Vt + \frac{V^2}{30(f + G_1)}$$

$$238 = 1.47 \times V \times 2.5 + \frac{V^2}{30(0.3 - 0.04)}$$

$$1856.4 = 28.67V + V^2 \rightarrow V = 31 \text{ mph}$$

أقصى سرعة لا تزيد عن 31 ميل/ساعة
وبالتالي لن يسمح بمزيد من مركبات ذات سرعة أكبر من 31 mph
Passing not allowed.

Design of Sag Curve

تكونت مشكلة في مسافة الرؤية في المنحنيات المقعرة المشكلة في عدم
دراة الولا حيث تصدق الفتوة الطلاده منطاً اصافه على العرب

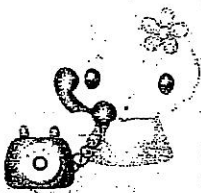
Design Criteria

→ SSD

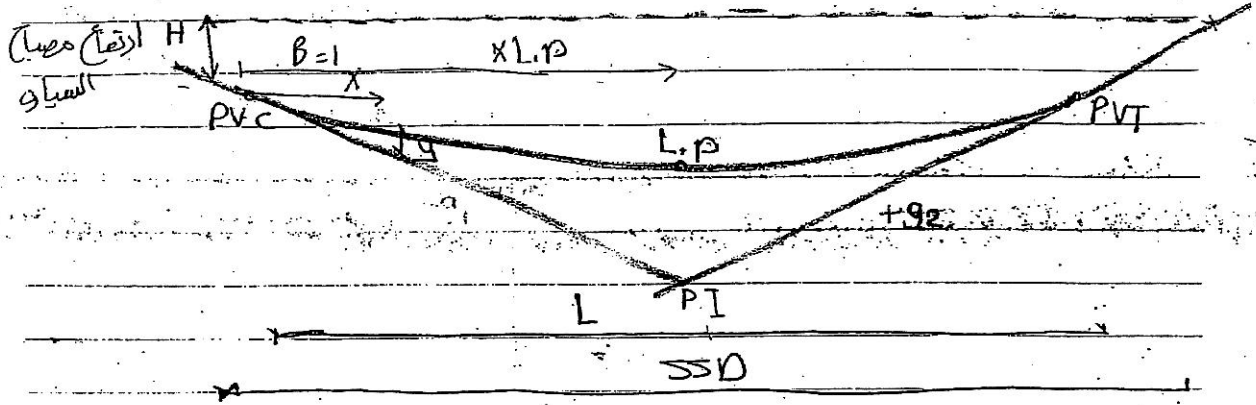
→ Comfortable

→ appearance

→ drainage



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35D

$$H = 2A = 0.6 \text{ m}$$

Case ①: $SSD > L$

$$\rightarrow y = \frac{Ax^2}{2\cos}$$

$$L = 2550 - 400 + 3.5(550) \rightarrow \text{ft}$$

$$\text{ele PVC} = \text{ele PI} + g_i \left(\frac{L}{2} \right)$$

$$l = 2550 \left(\frac{120 + 3.5550}{A} \right) \rightarrow (m)$$

$$E|E_{PVT} = E|E_{PI} + g_2 \left(\frac{L}{2} \right)$$

Case ② $SSD < L$

$$L = A(\text{SSD})^2 \quad (\text{ft})$$

$$\downarrow A \quad 400 + 3.5(\text{SSD}) \quad 6 \text{ ft}$$

$$xL.p - 9.1L$$

$$L = \frac{A_{SSD}^2}{120 + 3.55} \quad (m)$$

OR $L = kA$ من الجدول تدخل

(k) $\{ \text{Jazz and Blues} \}$ and

For the memories of yesterday
For the happiness of today...

Problem:

A Sag Vertical Curve joins -3% and $+3\%$ grades. If the PVI on the grade is at Station $(435+50)$ and has an elevation of 235 ft. Determine the Station and elevation of PVC and PVT For a design speed of 70 mph. Also compute the elevation on the Curve at 100 ft intervals.

Solution:

$$g_1 = -3\%, \quad g_2 = +3\%$$

$$St(PVI) = (435+50), \quad EIE(PVI) = 235 \text{ ft}$$

$$St \text{ PVC } ??, \quad EIE \text{ PVC } ??$$

$$St \text{ PVT } ??, \quad EIE \text{ PVT } ??$$

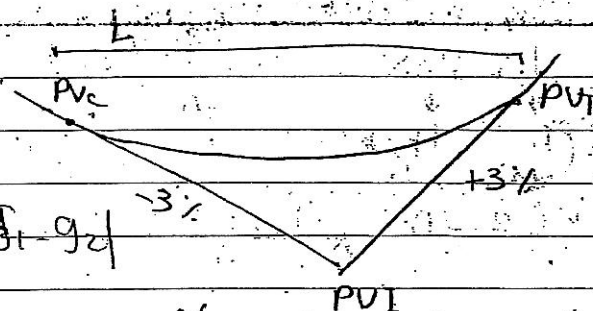
$$V = 70 \text{ mph}, \quad \text{assume } f = 0.3$$

Length of Curve:

assume $S \geq L$

$$A = 3 + 3 = 6\%$$

$$A = |g_1 - g_2|$$



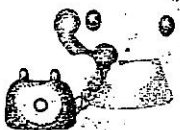
$$SSD = 1.47 Vt + \frac{V^2}{30(f + G)} \Rightarrow OR(\text{down } 11 \text{ cm})$$

$$= 1.47 \times 70 \times 2.5 + \frac{70^2}{30(0.3 - 0.03)} = 862.2 \text{ ft}$$

$$L = 2.5 \frac{400 + 3.55}{A}$$

$$= 2 \times 862.2 \frac{400 + 3.5 \times 862.2}{6} = 1154.8 \text{ ft}$$

$$L = 5$$



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assume $S < L$

$$L = \frac{AS^2}{400 + 3.5S} = \frac{6 \times 862.2^2}{400 + 3.5 \times 862.2} = 1305 \text{ ft}$$

$$L = 1305 \text{ ft}$$

$$\begin{aligned} \text{St (PVC)} &= \text{St PVI} - L/2 \\ &= (435 + 50) - (6 + 52.5) = (428 + 97.5) \end{aligned}$$

$$\text{Elev PVC} = \text{Elev PVI} + 9 \frac{L}{2}$$

$$= 235 + \frac{3}{100} \times \frac{1305}{2} = 254.58 \text{ ft}$$

$$\text{St PVT} = \text{St PVI} + L/2$$

$$= (435 + 50) + (6 + 52.5) = (442 + 2.5)$$

$$\text{Elev PVT} = \text{Elev PVI} + 9 \frac{L}{2}$$

$$= 235 + \frac{3}{100} \left(\frac{1305}{2} \right) = 254.58 \text{ ft}$$